Lecture #3: Solving SMR with Crash Faults and Synchrony

COMS 4995-001: The Science of Blockchains URL: https://timroughgarden.org/s25/

Tim Roughgarden

State Machine Replication (SMR)

SMR: version of consensus appropriate for a blockchain protocol.

- "state machine" = for us, current state of virtual machine
- "replication" = all validators perform same state transitions
- "clients" submit transactions ("txs") to validators
- each validator maintains an append-only list of finalized txs (a.k.a. "log" or "history")

State Machine Replication (SMR)

SMR: version of consensus appropriate for a blockchain protocol.

- "state machine" = for us, current state of virtual machine
- "replication" = all validators perform same state transitions
- "clients" submit transactions ("txs") to validators
- each validator maintains an append-only list of finalized txs (a.k.a. "log" or "history")

Goal: a protocol that satisfies consistency and liveness.

Consistency and Liveness

Goal: a protocol that satisfies consistency and liveness.

Consistency: all validators agree on a transaction sequence.

• ok if some lag behind, but no disagreements allowed!

Consistency and Liveness

Goal: a protocol that satisfies consistency and liveness.

Consistency: all validators agree on a transaction sequence.

• ok if some lag behind, but no disagreements allowed!

Consistency and Liveness

Goal: a protocol that satisfies consistency and liveness.

Consistency: all validators agree on a transaction sequence.

• ok if some lag behind, but no disagreements allowed!

Liveness: every valid transaction submitted by a client eventually added to validators' local histories/chains.

crash faults + synchronous network

crash faults + synchronous network

crash faults + asynchronous network

crash faults + synchronous network

crash faults + asynchronous network

Byzantine faults + asynchronous network

Expectations:

- 1. More positive results (i.e., good SMR protocols) toward the left.
- 2. More impossibility results (i.e., SMR unsolvable) toward the right.
- 3. Simpler protocols toward the left, more complex toward the right.

Goals for Lecture #3

- 1. The challenge of crash faults.
	- simple, but already messes up Protocol A from last time
- 2. Solving SMR with crash faults and a synchronous network.
	- already forces us to introduce some important design principles
	- good warm-up for more challenging and blockchain-relevant settings
- 3. Asynchrony: challenges and compromises.
	- an impossibility result motivates a "sweet spot" synchronousasynchronous hybrid model

Crash faults: every validator correctly executes the protocol except it may crash (forever) at some point.

Crash faults: every validator correctly executes the protocol except it may crash (forever) at some point.

Synchronous network: for known parameter Δ , every msg delivered in $\leq \Delta$ time steps

Crash faults: every validator correctly executes the protocol except it may crash (forever) at some point.

Synchronous network: for known parameter ∆, every msg delivered in $\leq \Delta$ time steps

Crash faults: every validator correctly executes the protocol except it may crash (forever) at some point.

Synchronous network: for known parameter ∆, every msg delivered in $\leq \Delta$ time steps

Recall: Protocol A [code run by every validator]

• define "view" = Δ consecutive timesteps

Crash faults: every validator correctly executes the protocol except it may crash (forever) at some point.

Synchronous network: for known parameter Δ , every msg delivered in $\leq \Delta$ time steps

- define "view" = Δ consecutive timesteps
- validators take turns as leader (round-robin, one per view)
	- plays the role of a temporary dictator (to coordinate others)
	- recall assumptions of known validator set, shared global clock 17

- define view = Δ consecutive timesteps
- validators take turns as leader (round-robin, one per view)

- define view = Δ consecutive timesteps
- validators take turns as leader (round-robin, one per view)
- at time $\Delta \cdot v$: [i.e., at beginning of view v]
	- $-$ leader assembles block B = all not-yet-included valid txs it knows about
	- leader sends B to all other validators

- define view = Δ consecutive timesteps
- validators take turns as leader (round-robin, one per view)
- at time $\Delta \cdot v$: [i.e., at beginning of view v]
	- $-$ leader assembles block B = all not-yet-included valid txs it knows about
	- leader sends B to all other validators
- at time $\Delta \cdot v + \Delta$: [i.e., at end of view v, before view v+1]
	- if validator i received a block B from the leader by this time:
		- validator i appends B to its local history

Problem: leader might crash after sending B to some but not all validators [➔ could lead to a consistency violation].

Fix:

Problem: leader might crash after sending B to some but not all validators [➔ could lead to a consistency violation].

Fix:

- 1. validators update next leader as to their current history
	- to make sure leader is up-to-date before proposing

Problem: leader might crash after sending B to some but not all validators [➔ could lead to a consistency violation].

Fix:

- 1. validators update next leader as to their current history
	- to make sure leader is up-to-date before proposing
- 2. send entire history/chain, not just latest block
	- \rightarrow crashes \rightarrow validator may learn about many new blocks at same time
	- will make more practical using commitments in Part II $_{27}$

- define view = 2Δ consecutive timesteps
- validator i maintains local chain C_i (i.e., sequence of blocks)
- validators take turns as leader (round-robin, one per view)

- define view = 2Δ consecutive timesteps
- validator i maintains local chain C_i (i.e., sequence of blocks)
- validators take turns as leader (round-robin, one per view)
- at time $\Delta \cdot v$: [i.e., at beginning of view v]
	- each validator i sends current chain C_i to v's leader ℓ

- define view = 2∆ consecutive timesteps
- $-$ validator i maintains local chain C_i (i.e., sequence of blocks)
- validators take turns as leader (round-robin, one per view)
- at time $\Delta \cdot v$: [i.e., at beginning of view v]
	- each validator i sends current chain C_i to v's leader ℓ
- at time $\Delta \cdot \nu + \Delta$:
	- let C = longest chain received by ℓ in this view
	- ℓ assembles B := all not-yet-included (in C) valid txs it knows about
	- ℓ sends C^{*} := (C,B) to all other validators

- at time $\Delta \cdot v$: [i.e., at beginning of view v]
	- each validator i sends current chain C_i to v's leader ℓ
- at time $\Delta \cdot \nu + \Delta$:
	- let C = longest chain received by ℓ in this view
	- ℓ assembles B := all not-yet-included (in C) valid txs it knows about
	- ℓ sends C^{*} := (C,B) to all other validators

- at time $\Delta \cdot v$: [i.e., at beginning of view v]
	- each validator i sends current chain C_i to v's leader ℓ
- at time $\Delta \cdot \nu + \Delta$:
	- let C = longest chain received by ℓ in this view
	- ℓ assembles B := all not-yet-included (in C) valid txs it knows about
	- ℓ sends C^{*} := (C,B) to all other validators
- at time $\Delta \cdot v + 2\Delta$: [i.e., at end of view v, before view v+1]
	- if validator i receives a new chain C* from ℓ by this time:
		- validator i updates $C_i := C^*$

Picture of One View

Picture of One View

Zooming Out

Zooming Out

Zooming Out

validator 1:

validator 2:

validator 3:

validator 4:

(validator 1 is next leader, prepares its proposal)

(validator 1 crashes after sending its proposal only to validator 4)

(validator 4 informs next leader about its current chain)

(validator 2 is next leader, prepares its proposal)

(validator 2 crashes after sending its proposal only to validator 4)

(validator 4 informs next leader about its current chain)

(validator 3 is next leader, prepares its proposal)

(if leader doesn't crash, all uncrashed validators

- not a theory class, not trying to train you to do your own proofs
	- though I *am* trying to train you to recognize broken protocols

- not a theory class, not trying to train you to do your own proofs – though I *am* trying to train you to recognize broken protocols
- but consensus protocol design driven by correctness proofs
	- will help you understand why famous consensus protocols like Paxos/Raft or Tendermint work the way they do

- not a theory class, not trying to train you to do your own proofs – though I *am* trying to train you to recognize broken protocols
- but consensus protocol design driven by correctness proofs
	- will help you understand why famous consensus protocols like Paxos/Raft or Tendermint work the way they do
- a protocol without a proof is probably buggy
	- embarrassing number of bugs in early drafts of these lectures!

- not a theory class, not trying to train you to do your own proofs – though I *am* trying to train you to recognize broken protocols
- but consensus protocol design driven by correctness proofs
	- will help you understand why famous consensus protocols like Paxos/Raft or Tendermint work the way they do
- a protocol without a proof is probably buggy
	- embarrassing number of bugs in early drafts of these lectures!
- and bugs in a global consensus protocol likely to be exposed
	- run for multiple years under widely varying workloads/conditions $\frac{54}{64}$

Tricky point: could be multiple versions of e.g. block #3 over lifetime of protocol (with earlier version forgotten with crashes).

Tricky point: could be multiple versions of e.g. block #3 over lifetime of protocol (with earlier version forgotten with crashes).

Recall: validators' local chains are consistent \Leftrightarrow all prefixes of a common chain (i.e., no forks).

Tricky point: could be multiple versions of e.g. block #3 over lifetime of protocol (with earlier version forgotten with crashes).

Recall: validators' local chains are consistent \Leftrightarrow all prefixes of a common chain (i.e., no forks).

Claim: at each time step, the chains of the not-yet-crashed validators are consistent.

• proceed by induction on the number of timesteps (true initially)

- proceed by induction on the number of timesteps (true initially)
- in view v, by the inductive hypothesis, all the C_i 's received by the leader are consistent (i.e., prefixes of a common chain)
	- these were the local chains of all not-yet-crashed validators at time $\Delta \cdot \nu$
	- leader receives all such C_i's by time $\Delta \cdot \nu + \Delta$ (due to synchrony)

- proceed by induction on the number of timesteps (true initially)
- in view v, by the inductive hypothesis, all the C_i 's received by the leader are consistent (i.e., prefixes of a common chain)
	- these were the local chains of all not-yet-crashed validators at time $\Delta \cdot \nu$
	- leader receives all such C_i's by time $\Delta \cdot \nu + \Delta$ (due to synchrony)
- C will extend all these C_i 's (will be the longest of them)

- proceed by induction on the number of timesteps (true initially)
- in view v, by the inductive hypothesis, all the C_i 's received by the leader are consistent (i.e., prefixes of a common chain)
	- these were the local chains of all not-yet-crashed validators at time $\Delta \cdot \nu$
	- leader receives all such C_i's by time $\Delta \cdot \nu + \Delta$ (due to synchrony)
- C will extend all these C_i 's (will be the longest of them)
- C^* extends all these C_i 's

- proceed by induction on the number of timesteps (true initially)
- in view v, by the inductive hypothesis, all the C_i 's received by the leader are consistent (i.e., prefixes of a common chain)
- C will extend all these C_i 's (will be the longest of them)
- C^* extends all these C_i 's
- no matter which validators update their C_i 's in this view, will stay consistent

Suppose tx z known to some non-faulty validator i at time step t.

Suppose tx z known to some non-faulty validator i at time step t.

• let v be the next view for which i is the leader (must exist)

Suppose tx z known to some non-faulty validator i at time step t.

- let v be the next view for which i is the leader (must exist)
- i's proposal $C^* := (C,B)$ in view v will include the tx z

– if not already in C, will put it in the new block B

Suppose tx z known to some non-faulty validator i at time step t.

- let v be the next view for which i is the leader (must exist)
- i's proposal $C^* := (C,B)$ in view v will include the tx z

– if not already in C, will put it in the new block B

• since i is non-faulty, sends proposal C^{*} to all validators

Suppose tx z known to some non-faulty validator i at time step t.

- let v be the next view for which i is the leader (must exist)
- i's proposal $C^* := (C,B)$ in view v will include the tx z

– if not already in C, will put it in the new block B

- since i is non-faulty, sends proposal C^{*} to all validators
- C^{*} adopted by all (uncrashed) validators

1. views = repeated attempts to finalize new transactions.

- 1. views = repeated attempts to finalize new transactions.
- 2. leaders = coordinate the transactions proposed in each view.
	- chosen e.g. round-robin (variation: chosen randomly)

- 1. views = repeated attempts to finalize new transactions.
- 2. leaders = coordinate the transactions proposed in each view.
	- chosen e.g. round-robin (variation: chosen randomly)
- 3. view may end with non-faulty validators in different states.
	- leader may need to "clean up the mess" left by previous view
Takeaways/Design Patterns

- 1. views = repeated attempts to finalize new transactions.
- 2. leaders = coordinate the transactions proposed in each view.
	- chosen e.g. round-robin (variation: chosen randomly)
- 3. view may end with non-faulty validators in different states.
	- leader may need to "clean up the mess" left by previous view
- 4. leader should be as up-to-date as all non-faulty validators.
	- otherwise, leader's out-of-date proposal might conflict with the local chains of more up-to-date non-faulty validators
	- reason for the "catch-up" messages in first half of view in Protocol B

Takeaways/Design Patterns

- 1. views = repeated attempts to finalize new transactions.
- 2. leaders = coordinate the transactions proposed in each view.
	- chosen e.g. round-robin (variation: chosen randomly)
- 3. view may end with non-faulty validators in different states.
	- leader may need to "clean up the mess" left by previous view
- 4. leader should be as up-to-date as all non-faulty validators.
	- otherwise, leader's out-of-date proposal might conflict with the local chains of more up-to-date non-faulty validators
	- reason for the "catch-up" messages in first half of view in Protocol B
- 5. distributed computing is hard! [no proof \rightarrow probably buggy!]

A Road Map to Practical SMR Protocols

crash faults + synchronous network

crash faults + asynchronous network

Byzantine faults + asynchronous network

easier harder harder harder was a strong of the strong strong strong strong strong strong strong strong strong

Question: Is Protocol B still consistent w/unbounded msg delays?

Question: Is Protocol B still consistent w/unbounded msg delays?

Answer: No!

Question: Is Protocol B still consistent w/unbounded msg delays?

Answer: No! Reason: leader may not hear about all C_i's of nonfaulty validators by the time it makes a proposal.

• if $C_i = B_1 \rightarrow B_2 \rightarrow B_3$ but leader only hears about $B_1 \rightarrow B_2$, might propose $\mathsf{B_1}{\rightarrow}\mathsf{B_2}{\rightarrow}\mathsf{B'_3}$, potentially leading to consistency violation

Question: Is Protocol B still consistent w/unbounded msg delays?

Answer: No! Reason: leader may not hear about all C_i's of nonfaulty validators by the time it makes a proposal.

• if $C_i = B_1 \rightarrow B_2 \rightarrow B_3$ but leader only hears about $B_1 \rightarrow B_2$, might propose $\mathsf{B_1}{\rightarrow}\mathsf{B_2}{\rightarrow}\mathsf{B'_3}$, potentially leading to consistency violation

Key challenge: how to ensure leader knows about the C_i 's of all non-faulty validators by the time it makes a proposal (despite unpredictable message delays)?

Question: Is Protocol B still consistent w/unbounded msg delays?

Answer: No! Reason: leader may not hear about all C_i's of nonfaulty validators by the time it makes a proposal.

• if $C_i = B_1 \rightarrow B_2 \rightarrow B_3$ but leader only hears about $B_1 \rightarrow B_2$, might propose $\mathsf{B_1}{\rightarrow}\mathsf{B_2}{\rightarrow}\mathsf{B'_3}$, potentially leading to consistency violation

Key challenge: how to ensure leader knows about the C_i 's of all non-faulty validators by the time it makes a proposal (despite unpredictable message delays)?

– will resolve next lecture (add friction to proposing and to finalizing new transactions, also assume strict majority of non-faulty validators) $\frac{80}{2}$

Question: how to model an "unreliable network"?

Question: how to model an "unreliable network"?

Bad answer: Make ∆ really big.

• avoids the issue, leads to completely impractical protocols

Question: how to model an "unreliable network"?

Bad answer: Make ∆ really big.

• avoids the issue, leads to completely impractical protocols

Ambitious answer: no assumptions on message delays at all (in effect, controlled by a worst-case adversary).

- subject to every message eventually getting delivered
- called the *asynchronous model*

Question: how to model an "unreliable network"?

Bad answer: Make ∆ really big.

– avoids the issue, leads to completely impractical protocols

Ambitious answer: no assumptions on message delays at all.

- subject to every message eventually getting delivered
- called the *asynchronous model*

FLP Theorem ('85): even with the threat of a single crash fault, can't solve SMR in the asynchronous model.

– see Friday bonus lecture for discussion and proof 84

Perspective: impossibility results like the FLP Theorem give guidance on how to compromise to make progress.

Perspective: impossibility results like the FLP Theorem give guidance on how to compromise to make progress.

Possible compromises:

- 1. Pull back from asynchrony to "partial synchrony" (next lecture).
	- "sweet spot" hybrid of the synchronous, asynchronous models

Perspective: impossibility results like the FLP Theorem give guidance on how to compromise to make progress.

Possible compromises:

- 1. Pull back from asynchrony to "partial synchrony" (next lecture).
	- "sweet spot" hybrid of the synchronous, asynchronous models
- 2. Solve a problem easier than SMR (e.g., with relaxed consistency requirements).
	- agreement on total ordering of txs is overkill in some applications

Perspective: impossibility results like the FLP Theorem give guidance on how to compromise to make progress.

Possible compromises:

- 1. Pull back from asynchrony to "partial synchrony" (next lecture).
	- "sweet spot" hybrid of the synchronous, asynchronous models
- 2. Solve a problem easier than SMR (e.g., with relaxed consistency requirements).
	- agreement on total ordering of txs is overkill in some applications
- 3. Use randomized protocols, solve SMR with high probability.
	- rich academic literature on this topic **EXACC 100 SM** 88